

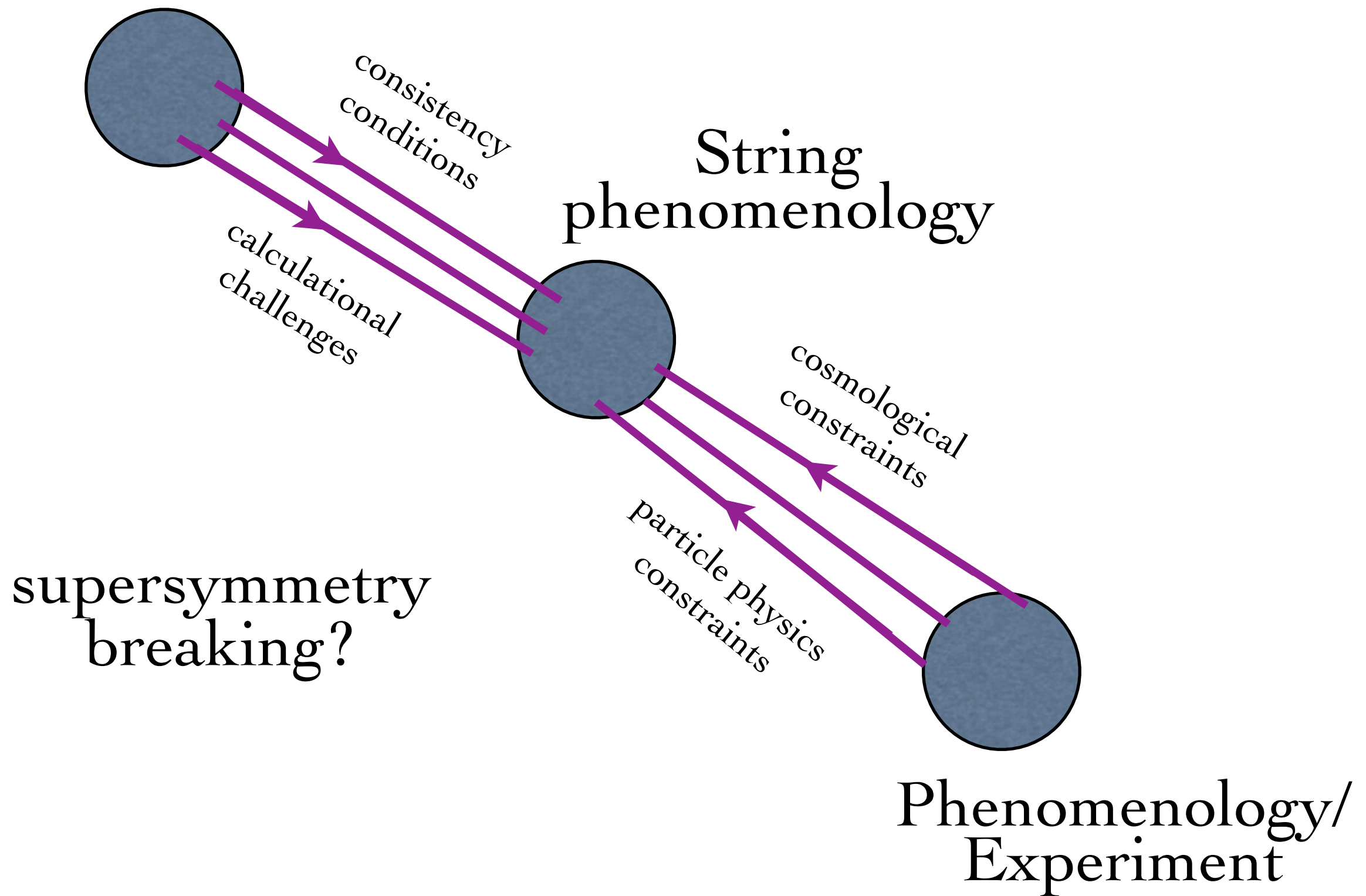
Large Volume Flux Compactifications and Open Strings



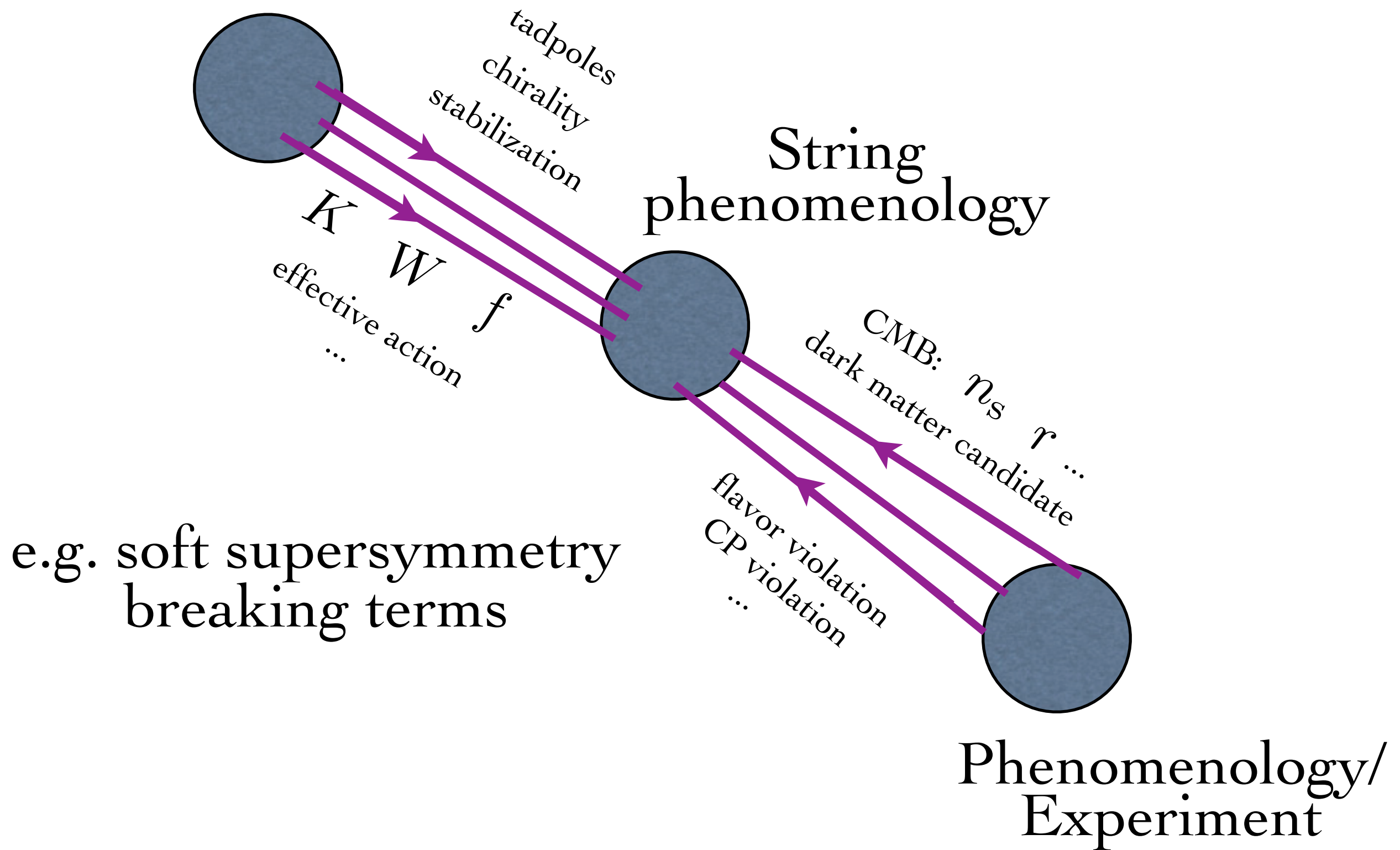
Marcus Berg, CoPS,
Fysikum, Stockholm

talk available at www.physto.se/~mberg

"Formal" (not directly phenomenological)
string theory

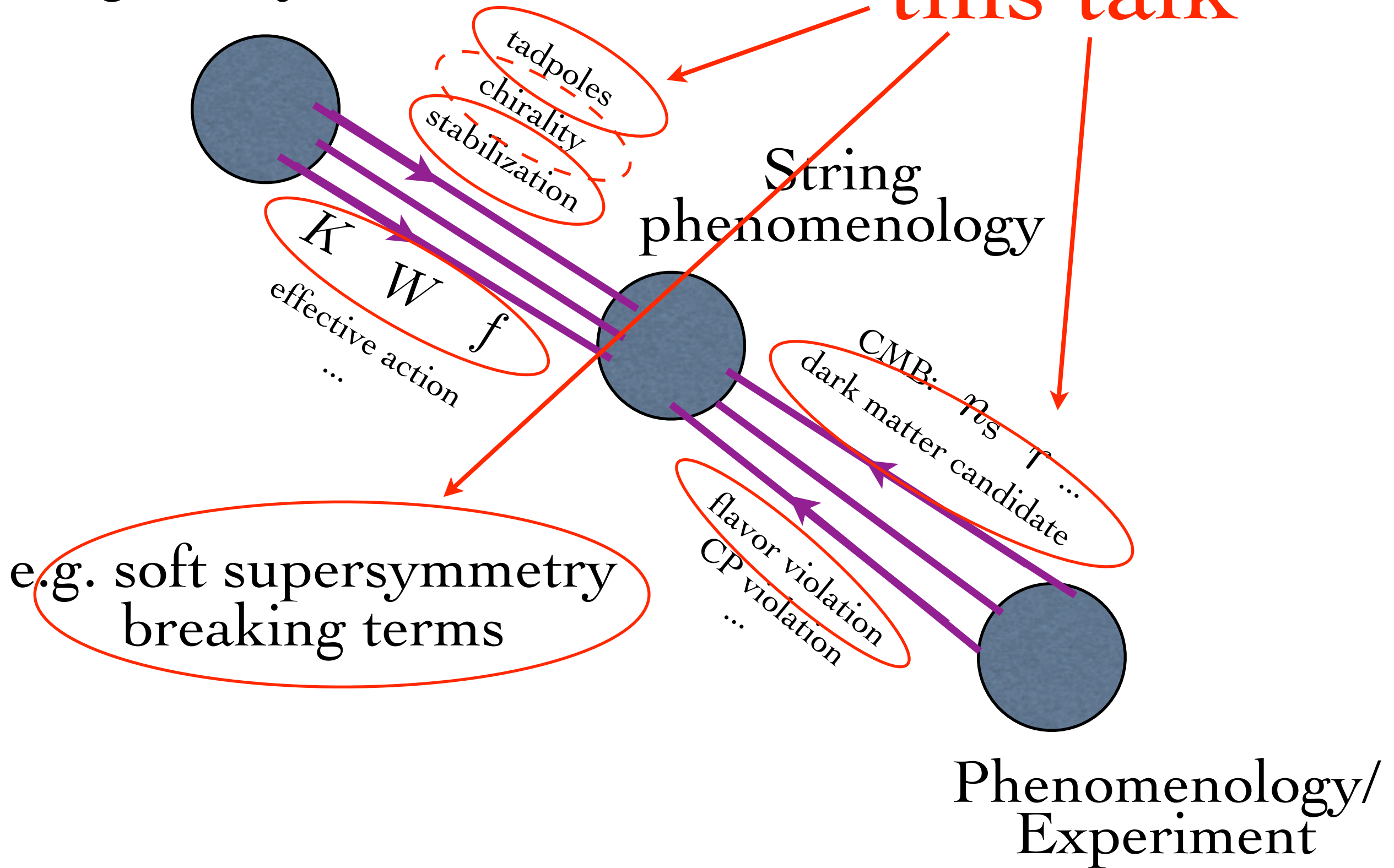


"Formal" (not directly phenomenological)
string theory



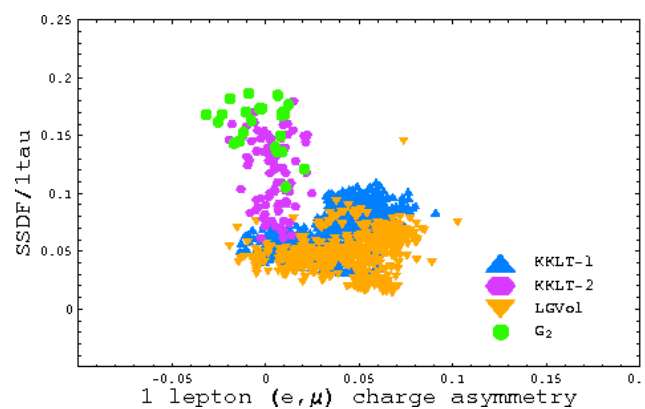
"Formal" (not directly phenomenological)
string theory

this talk

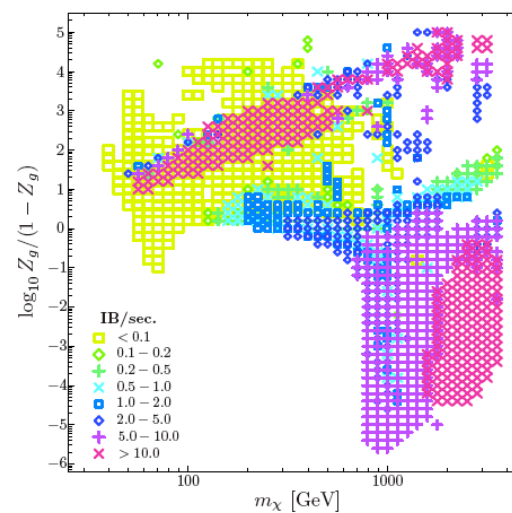


“Real phenomenology”?

LHC observables



SUSY dark matter

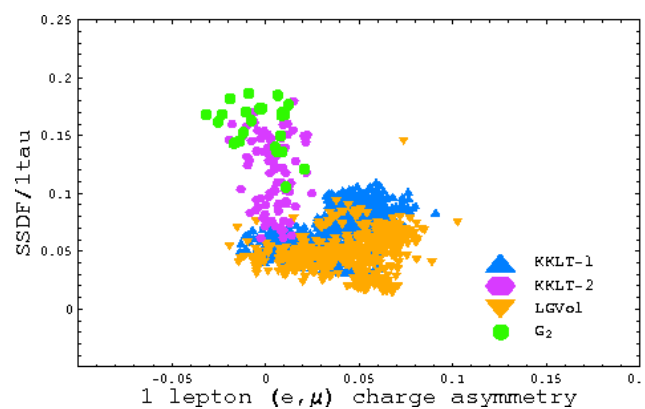


MSSM-like
effective field
theory models

“Real phenomenology”?

MSSM-like
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theory models

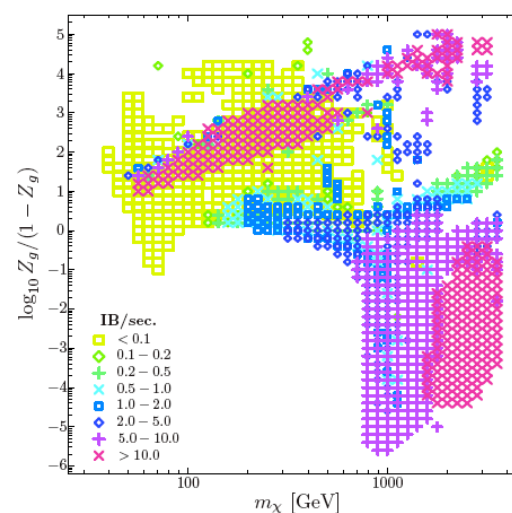
LHC observables



e.g.



SUSY dark matter



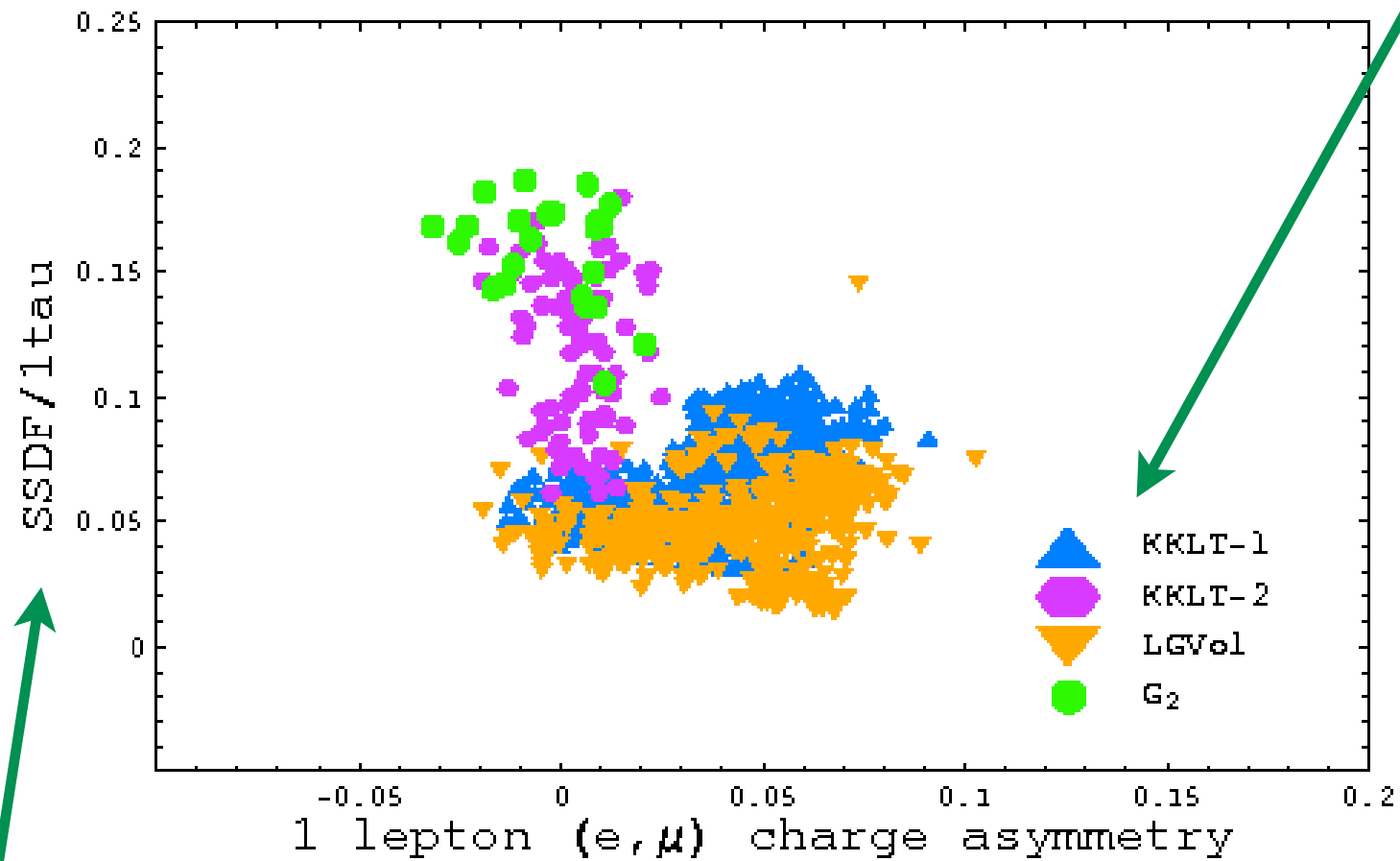
e.g.



LHC counting signatures

Kane, Kumar, Shao '07 (hep-ph)

different "string" models



same sign, different flavor dilepton events

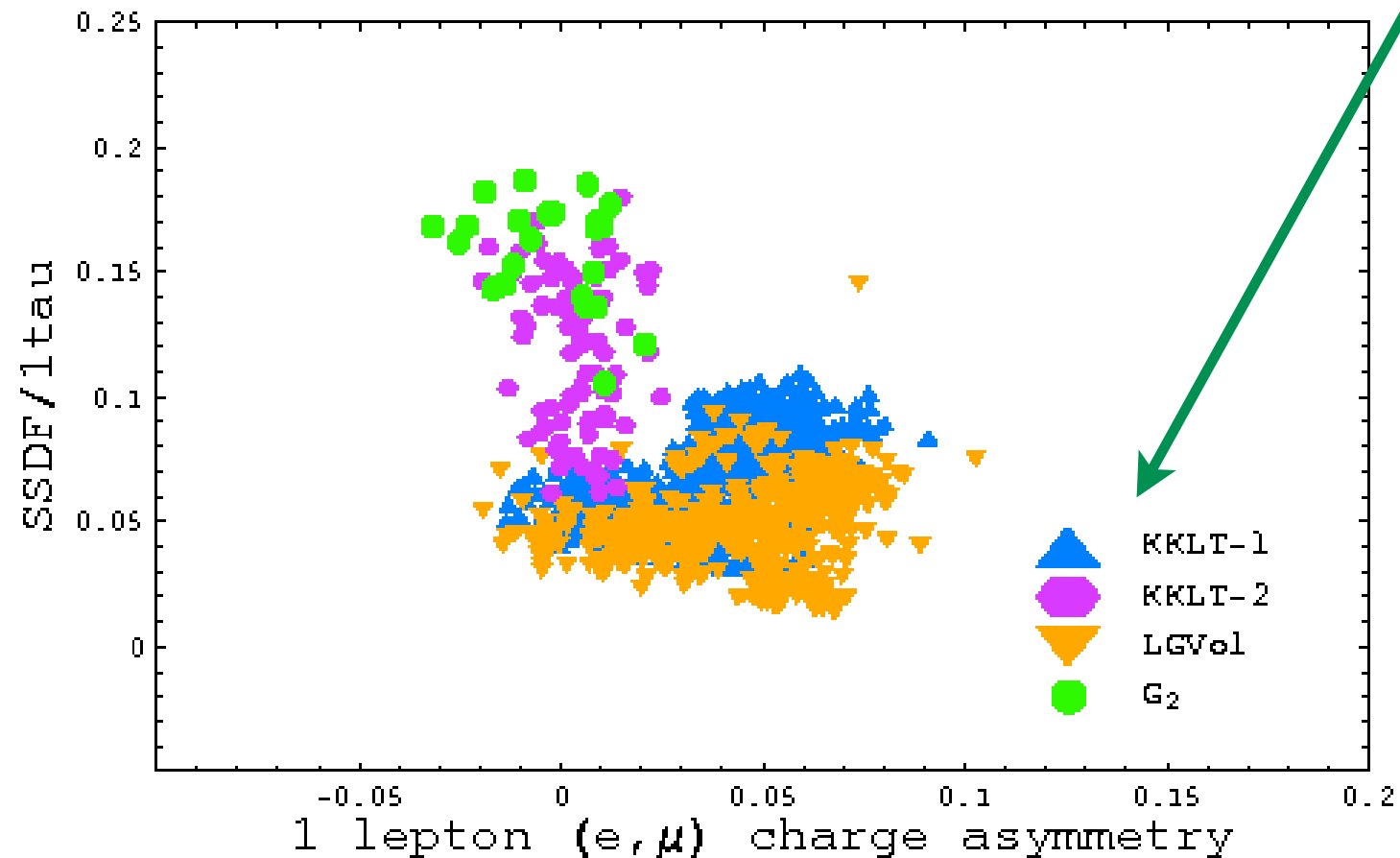
1 τ events

$$\frac{N_{\ell}^{+} - N_{\ell}^{-}}{N_{\ell}^{+} + N_{\ell}^{-}}$$

LHC counting signatures

Kane, Kumar, Shao '07 (hep-ph)

different “string” models

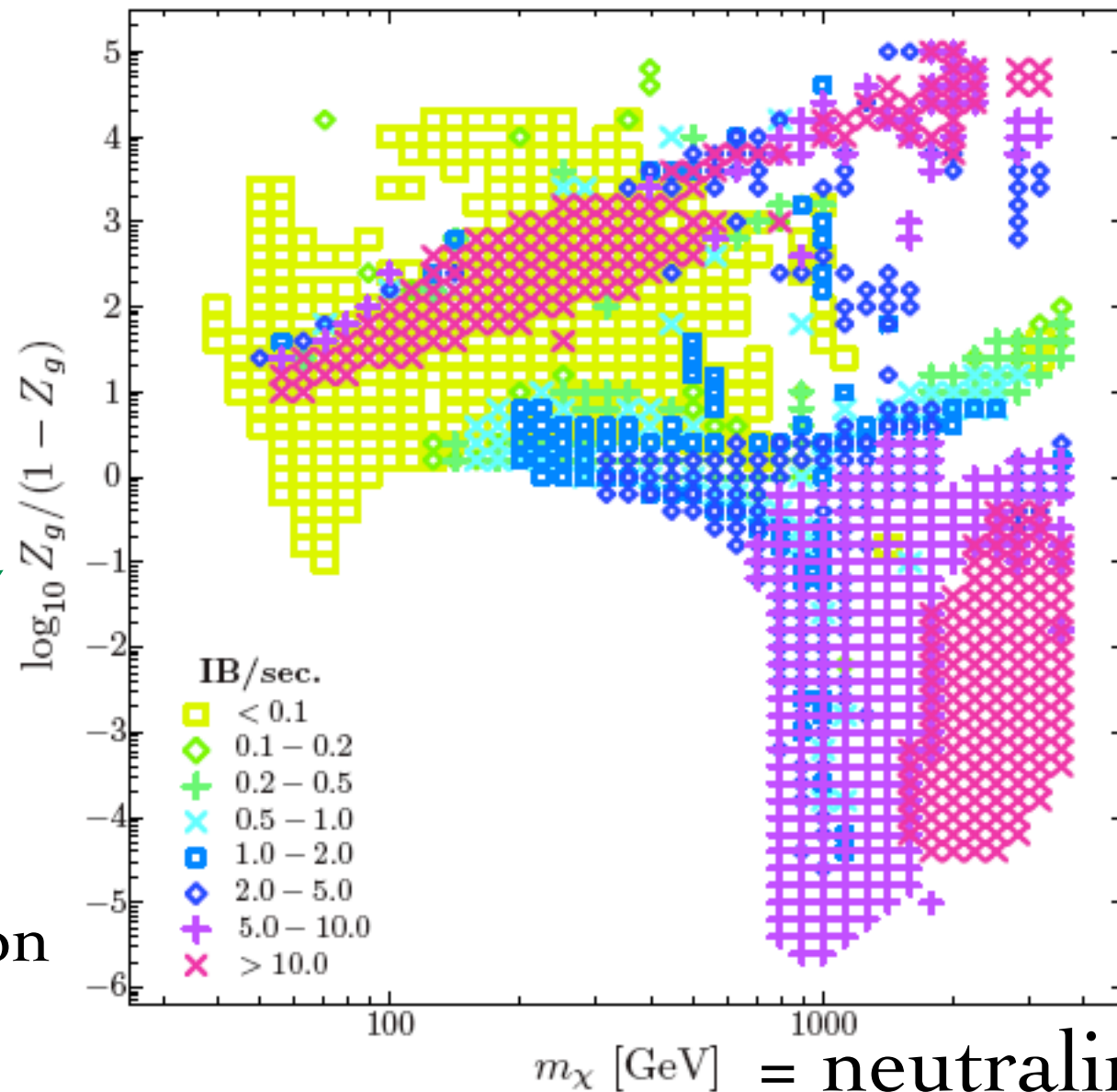


KKLT1, LGVol: light squarks \Rightarrow squark production
 \Rightarrow (electric) charge asymmetry

G_2 : heavy squarks \Rightarrow gluino production
 \Rightarrow less charge asymmetry

SUSY dark matter

Bringmann, Bergström,
Edsjö '07 (hep-ph)



Z_g
= gaugino fraction
(in LSP)

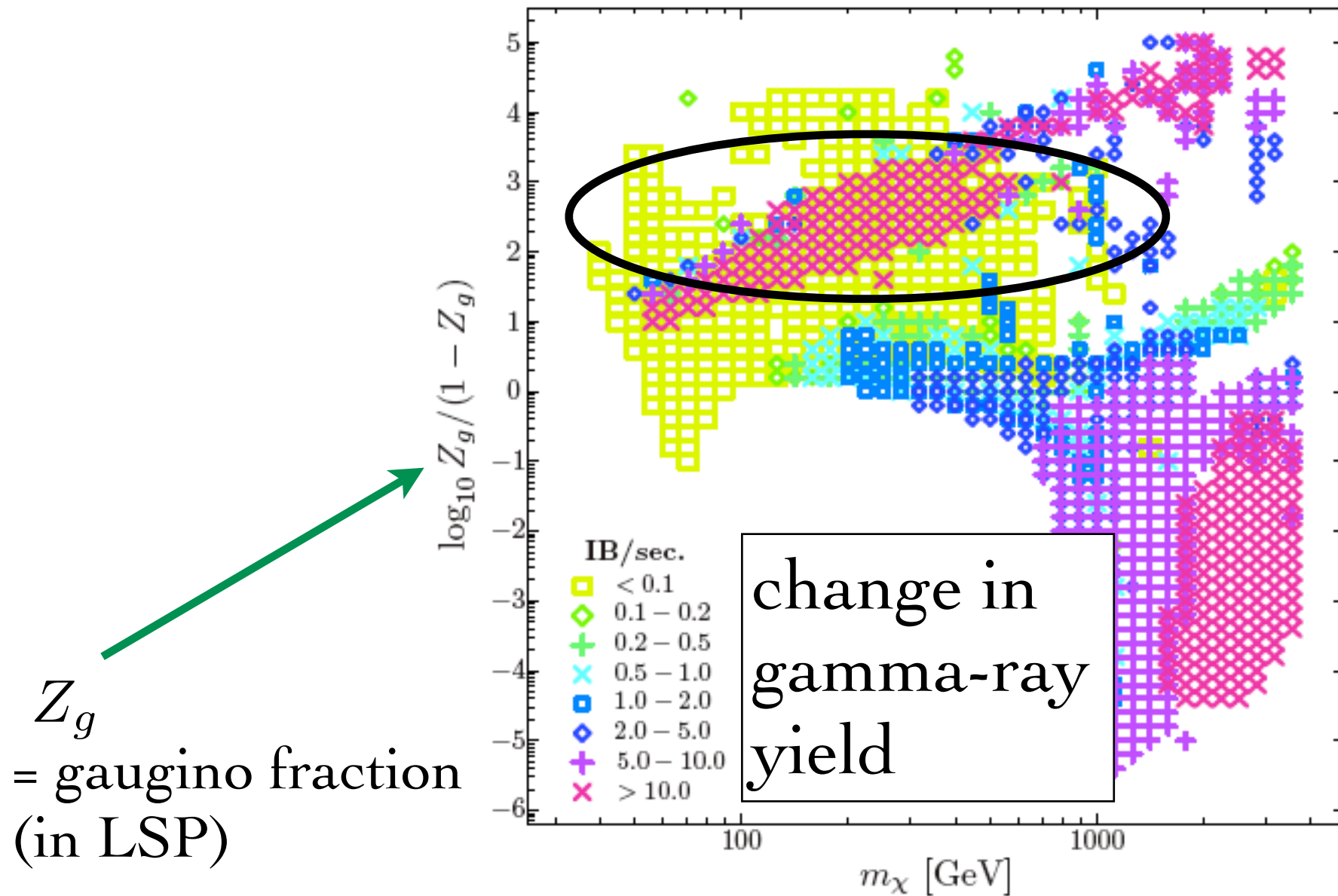
m_χ [GeV] = neutralino mass
= dark matter particle

different MSSM models:

- satisfy (at least some) accelerator constraints
- give WMAP cosmological dark matter relic density

SUSY dark matter

Bringmann, Bergström,
Edsjö '07 (hep-ph)



GLAST (launch May 16, 2008):
up to 300 GeV



What is the “added value” of string phenomenology?

(compared to standard MSSM phenomenology)

First of all: if TeV string scale: radically different!

- long shot, but might keep in mind
- experience so far: difficult to
satisfy experimental constraints

Here: string scale \gg TeV

string theory gives some effective field
theory... but if that's it, so what?

What is the “added value” of string phenomenology?

most of *MSSM* phenomenology:
severely restricted parameter space
(e.g. start with 10^5 , keep 3)

- restrict flavor violation (beyond *SM*)
- restrict CP violation (beyond *SM*)
- renormalizable

Why?

Experiment

Experiment

“Energy desert”
(gauge unification)

What is the “added value” of string phenomenology?

most of *MSSM* phenomenology:
severely restricted parameter space
(e.g. start with 10^5 , keep 3)

- | | <u>Why? (really...)</u> |
|---|-------------------------|
| • restrict flavor violation (beyond <i>SM</i>) | Naturalness |
| • restrict CP violation (beyond <i>SM</i>) | Naturalness |
| • renormalizable | Naturalness |

What is the “added value” of string phenomenology?

bulk of MSSM phenomenology:
severely restricted parameter space (e.g. 10^5 to 3)

- restrict flavor violation (beyond SM)
- restrict CP violation (beyond SM)
- renormalizable

String phenomenology

Naturalness?

Naturalness?

Naturalness?

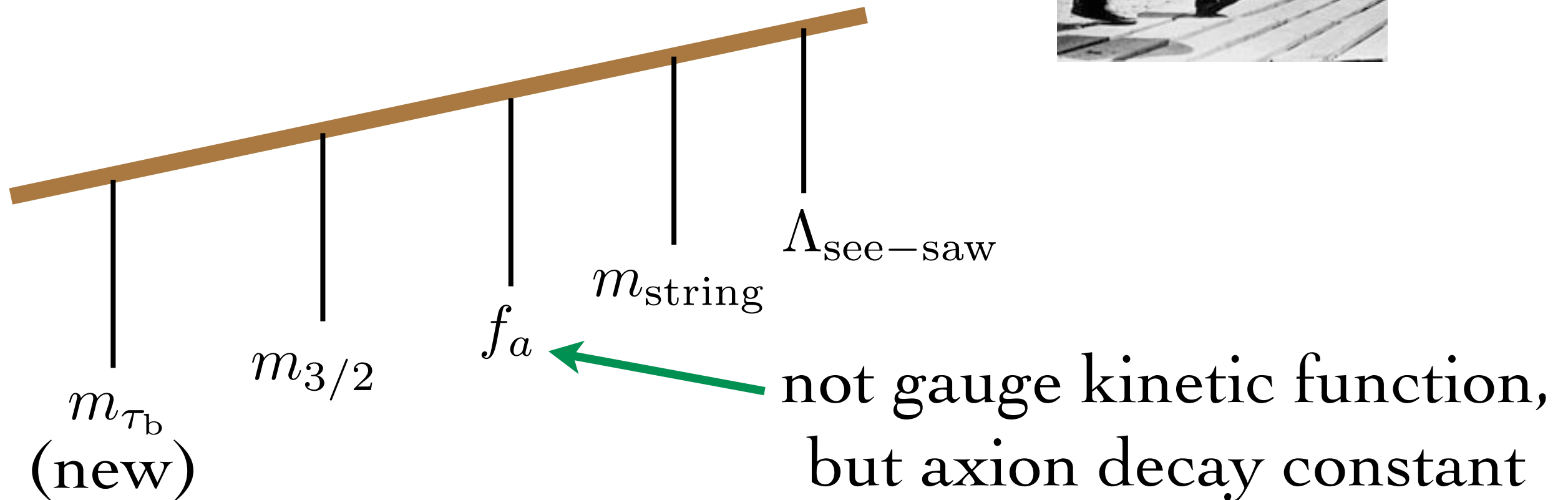
remainder of talk:

classes of string phenomenologies that predict something?

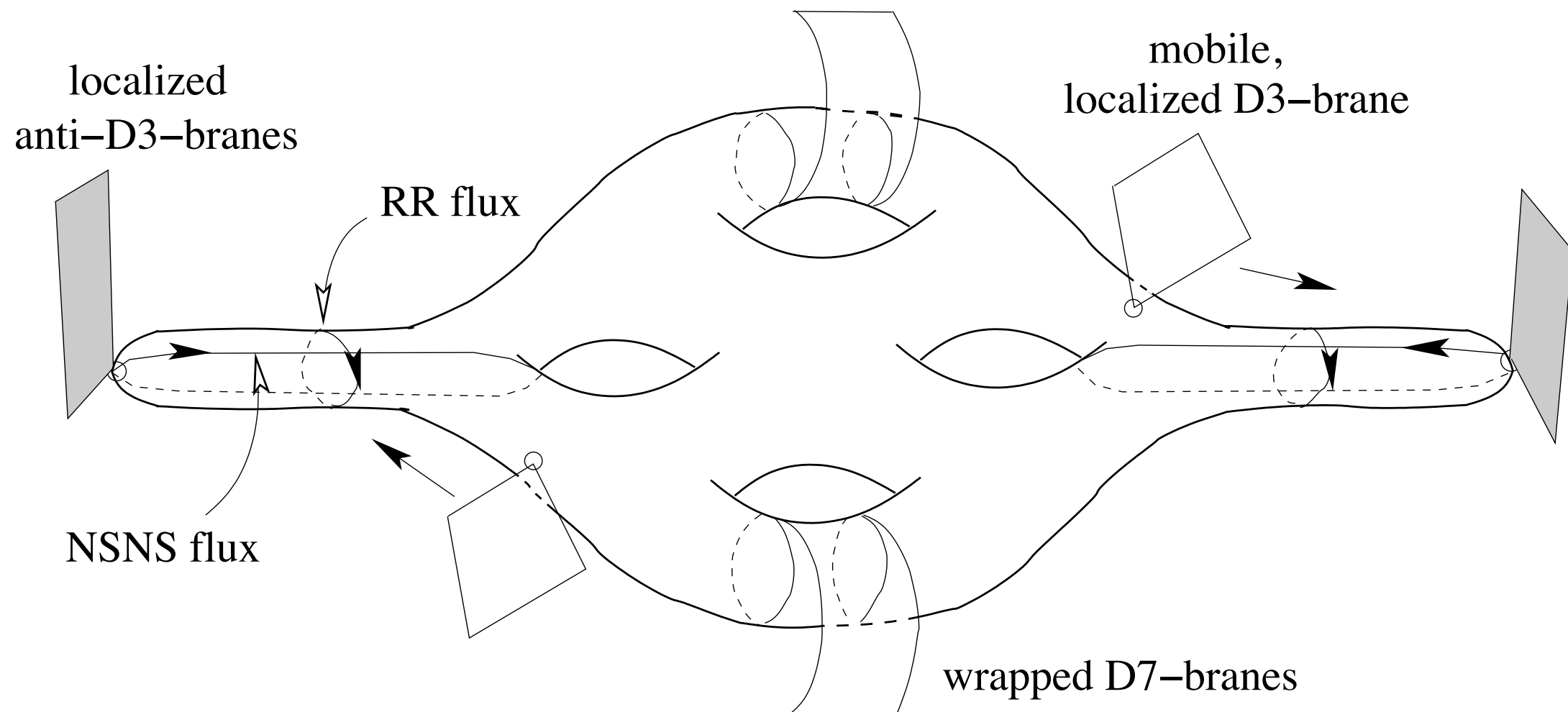
Example: Large Volume Scenario (variant of KKLT – more later)

the scales are "yoked"

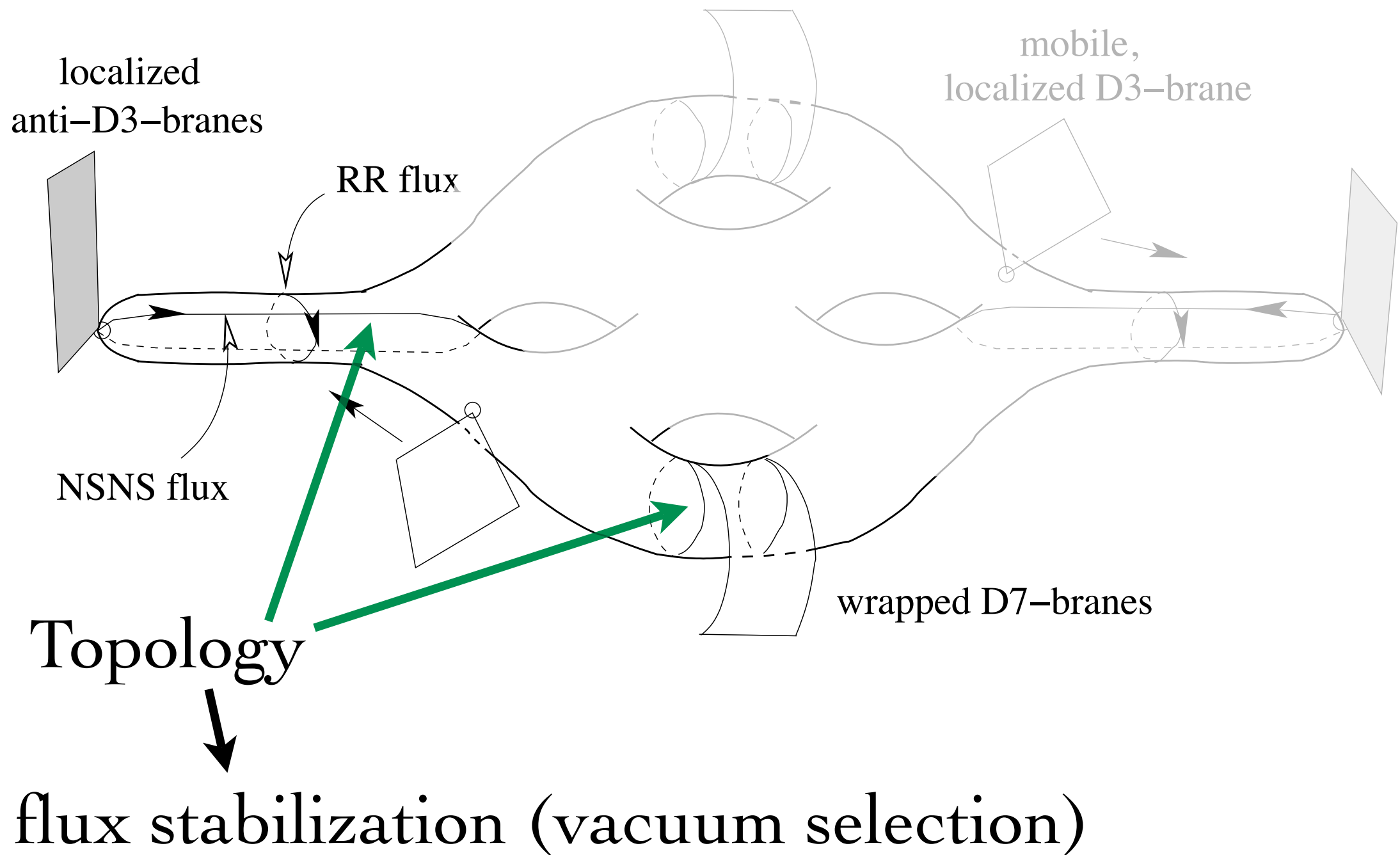
yoke →



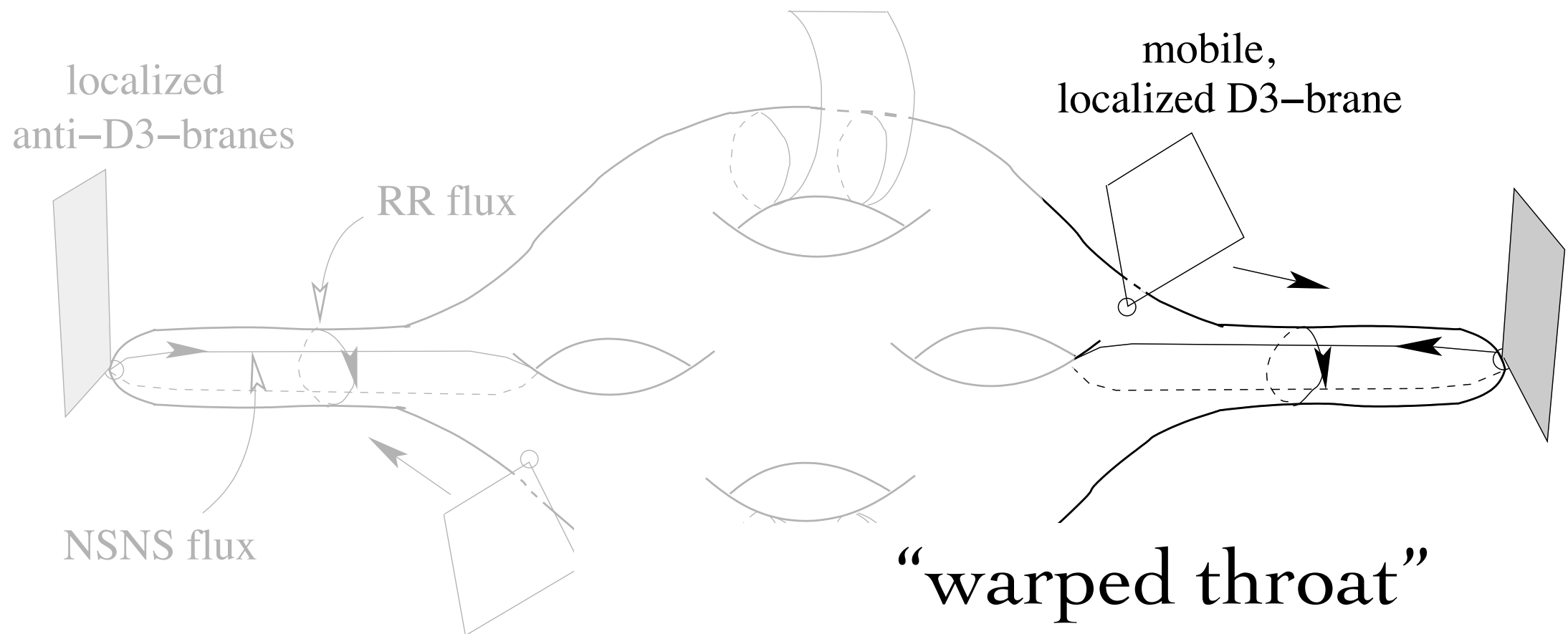
The KKLT internal space: a Calabi-Yau IIB orientifold with fluxes and warping



The KKLT internal space: a Calabi-Yau IIB orientifold with fluxes and warping

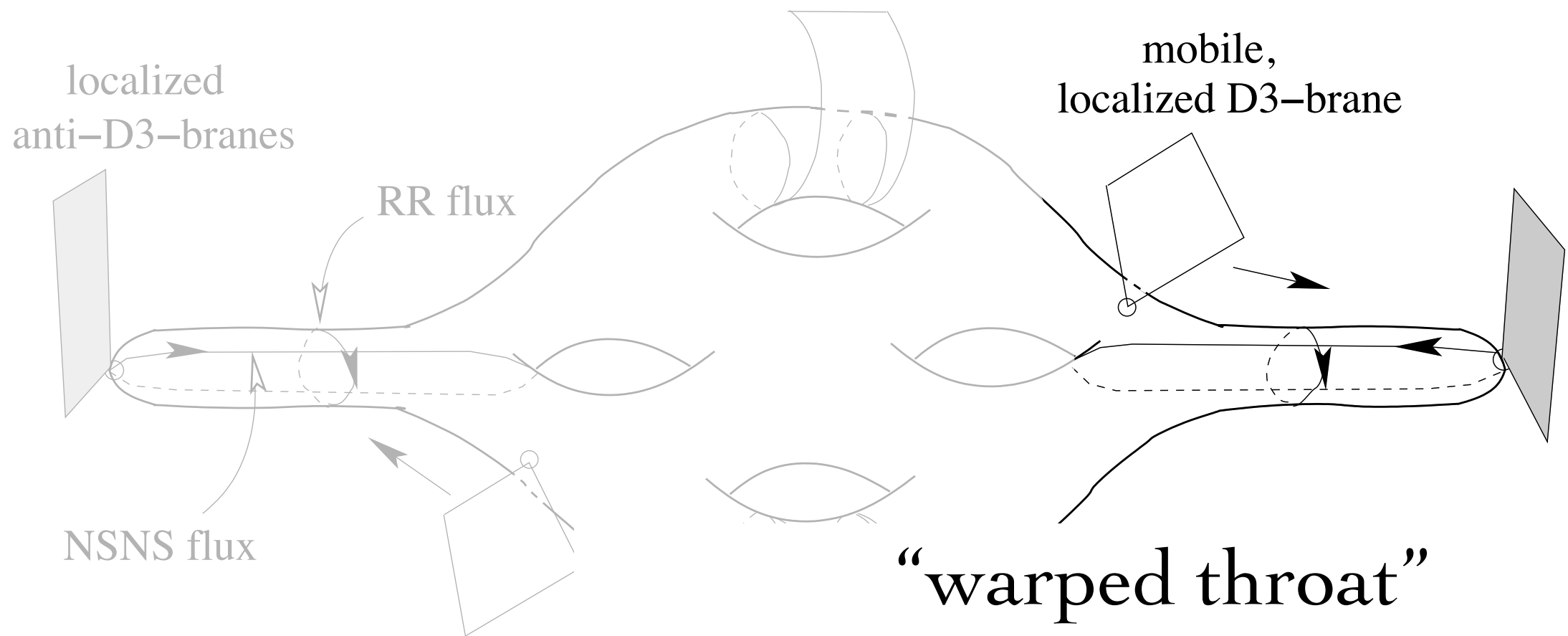


The KKLT internal space: a Calabi-Yau IIB orientifold with fluxes and warping



i.e. Klebanov-Strassler 6d metric;
i.e. "Randall-Sundrum in 10d"

The KKLT internal space: a Calabi-Yau IIB orientifold with fluxes and warping



“warped throat”
often approximated
with AdS + UV cutoff

KKLT D=4, N=1 effective theory


closed string (would-be) moduli: S, T_i, U_α

$$K = -\ln(S + \bar{S}) - 2 \ln \mathcal{V}(T_i + \bar{T}_i) + K^U$$

$$W = W_{\text{flux}} + W_{\text{np}}$$

stabilize S and U

(i.e. minimize potential V with respect to S and U)


$$W = W_0 + \sum_i A_i e^{-a_i T_i}$$

KKLT D=4, N=1 effective theory

closed string moduli: S, T_i, U_α

6d overall volume,
function of Kähler moduli

$$K = -\ln(S + \bar{S}) - 2 \ln \mathcal{V}(T_i + \bar{T}_i) + K^U$$

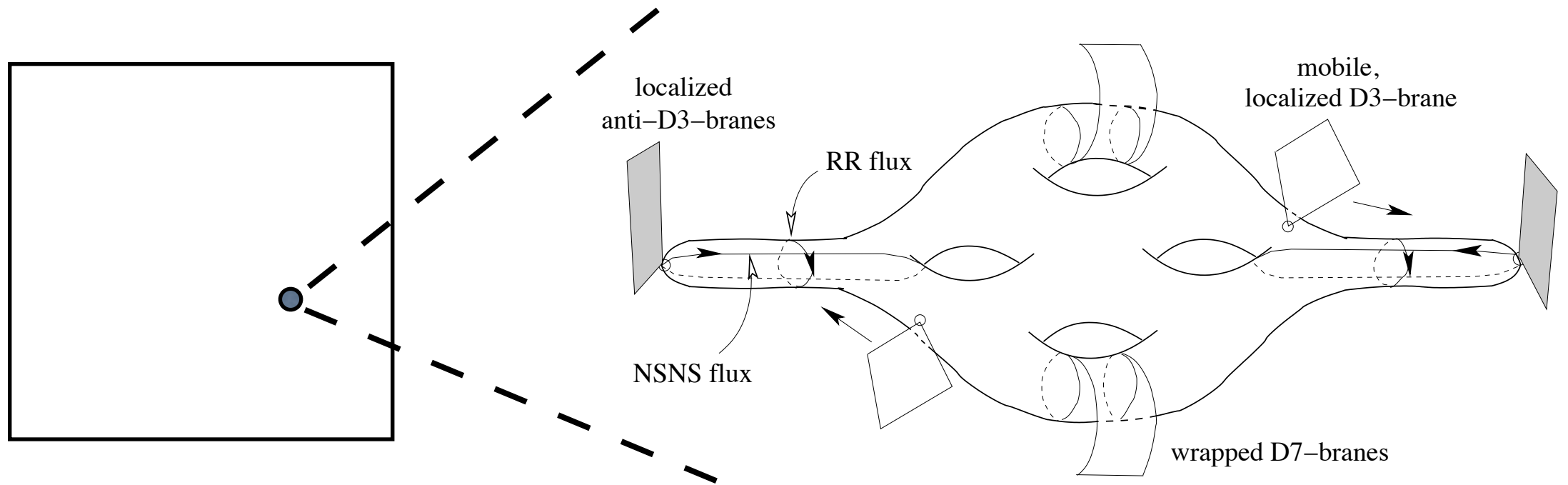
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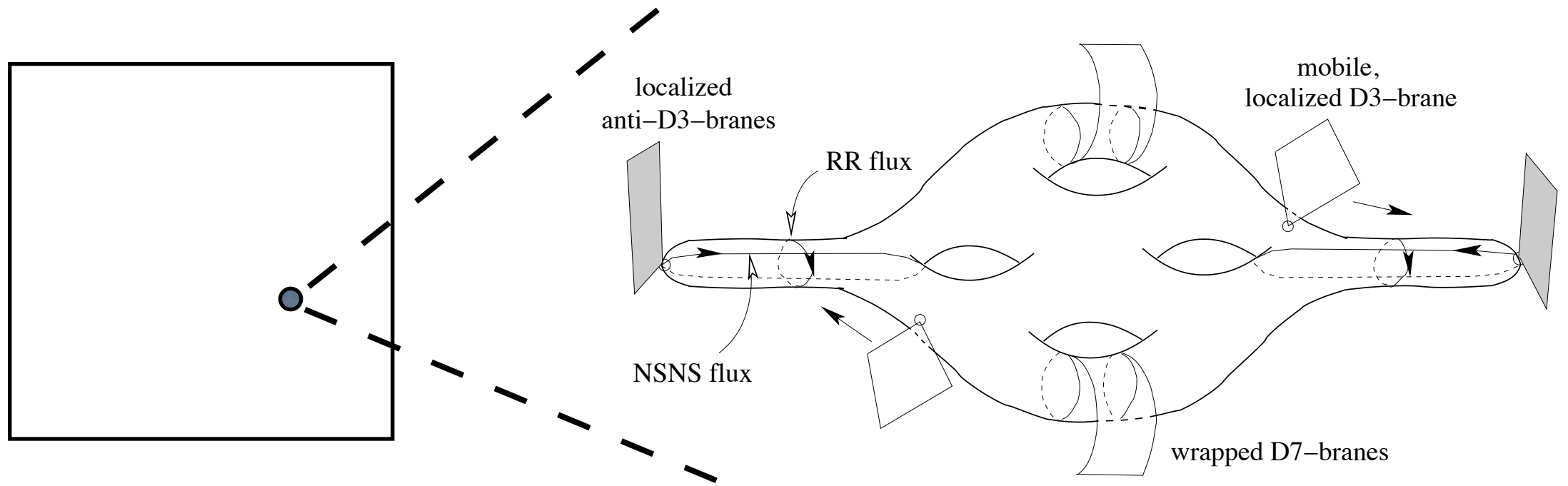
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The KKLT internal space: a Calabi-Yau IIB orientifold with fluxes and warping



KKLT: external
space deSitter

The KKLT internal space: a Calabi-Yau IIB orientifold with fluxes and warping



here: Minkowski
external space

KKLT D=4, N=1 effective theory

closed string moduli potential:

$$V = (\text{terms that vanish as } W_{\text{np}} \rightarrow 0) \\ + e^K (G^{\bar{j}i} K_{\bar{j}} K_i - 3) |W|^2$$

for tree-level K from previous slide,

$$G^{\bar{j}i} K_{\bar{j}} K_i = 3 \quad \Rightarrow \quad V(T) = 0$$

“no-scale structure”
at supergravity tree-level

KKLT D=4, N=1 effective theory

closed string moduli potential:

$$V = (\text{terms that} \\ + e^K ($$

broken by perturbative
and nonperturbative string
corrections

for tree-level K from

$$G^{\bar{j}i} K_{\bar{j}} K_i = 3 \quad \Rightarrow \quad V(T) = 0$$

“no-scale structure”
at supergravity tree-level

KKLT D=4, N=1 effective theory

closed string moduli potential : $(\tau_i = \text{Re } T_i)$

$$\frac{V}{e^K} = e^{-a\tau} \left(4|A|^2 a\tau e^{-a\tau} \left(\frac{1}{3} a\tau + 1 \right) - 4a\tau |A| |W_0| \right)$$

for tree-level K from previous slide, $G^{\bar{j}i} K_{\bar{j}} K_i = 3$

in KKLT, no-scale structure
broken by nonperturbative superpotential

KKLT D=4, N=1 effective theory

closed string moduli potential : $(\tau_i = \text{Re } T_i)$

$$\frac{V}{e^K} = e^{-a\tau} (4|A|^2 a$$

In KKLT, all closed string moduli are stabilized

for tree-level K from

in KKLT, no-scale structure
broken by nonperturbative superpotential

Some drawbacks with original KKLT

closed string moduli potential : $(\tau_i = \text{Re } T_i)$

$$\frac{V}{e^K} = e^{-a\tau} \left(4|A|^2 a\tau e^{-a\tau} \left(\frac{1}{3} a\tau + 1 \right) - 4a\tau |A| |W_0| \right)$$

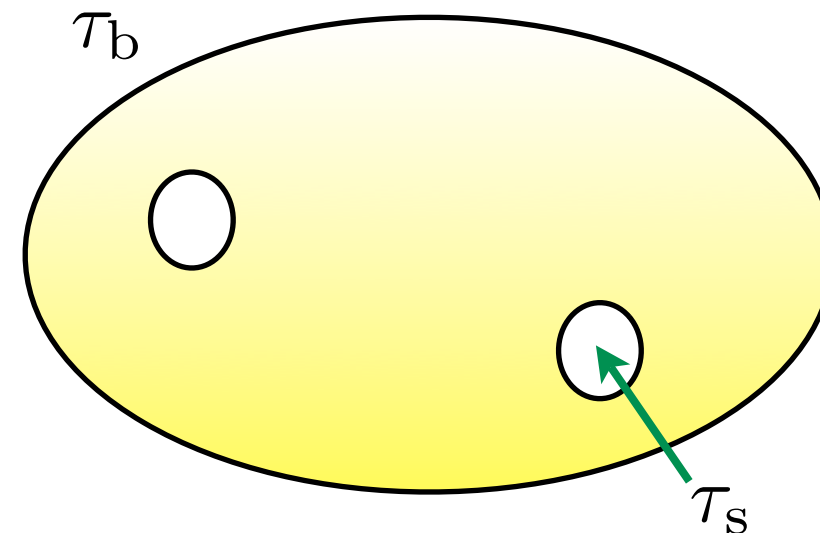
- only works for limited range of a, W_0, A
- volume not stabilized big (no “problem”, but see later)
- supersymmetry breaking “at the end” (least understood part)
- “two-step stabilization” (S, U , then T) sometimes fails
(not algorithmic)

The Large Volume Scenario (LVS)

Balasubramanian, Berglund, Conlon, Quevedo '05

“Swiss cheese” Calabi-Yau:

$$\tau_b \gg \tau_s$$



$$\{T_i\} \rightarrow \{T_b\}, \{T_s\}$$

$$\mathcal{V} = \tau_b^{3/2} - f(\tau_s)$$

$$(\tau_i = \text{Re } T_i)$$

special
Calabi-Yau

$$K = K_{\text{KKLT}} + \xi \frac{S_1^{3/2}}{\mathcal{V}}$$

$$W = W_{\text{KKLT}}$$

α'
(higher derivative)
correction

Becker, Becker, Haack, Louis '02

The Large Volume Scenario (LVS)

Balasubramanian, Berglund, Conlon, Quevedo '05

Truncation problem: it typically makes no sense to attempt to “improve” any leading-order string model by string/quantum corrections

LVS is one case where this intuition may fail (under investigation!)

$$\{T_i\} \rightarrow \{T_b\}, \{T_s\}$$

$$\mathcal{V} = \tau_b^{3/2} - f(\tau_s) \quad (\tau_i = \text{Re } T_i)$$

special
Calabi-Yau

$$K = K_{\text{KKLT}} + \xi \frac{S_1^{3/2}}{\mathcal{V}}$$

$$W = W_{\text{KKLT}}$$

α'
(higher derivative)
correction

Becker, Becker, Haack, Louis '02

LVS moduli stabilization

change variables $(\tau_b, \tau_s) \rightarrow (\mathcal{V}, \tau_s)$ $X = Ae^{-a\tau_s}$

$$V = (\dots) \frac{X^2}{\mathcal{V}} + (\dots) \frac{X}{\mathcal{V}^2} + (\dots) \frac{\xi}{\mathcal{V}^3}$$

$$\frac{\partial V}{\partial \mathcal{V}} = 0 \Rightarrow \mathcal{V} = \frac{f(\tau_s)}{X} \quad (\tau_i = \text{Re } T_i)$$

$$\frac{\partial V}{\partial \tau_s} = 0 \Rightarrow X = \frac{g(\tau_s)}{\mathcal{V}}$$

$$\Rightarrow f(\tau_s) = g(\tau_s)$$

$$\xrightarrow{a\tau_s \gg 1} \tau_s \sim \xi^{2/3}$$

$$\Rightarrow \mathcal{V} \sim e^{a\tau_s}$$



dial: $\mathcal{V} \sim 10^{15} \ell_s^6$

Why $\mathcal{V} \sim 10^{15} \ell_s^6$?

Conlon, Quevedo, Suruliz '05

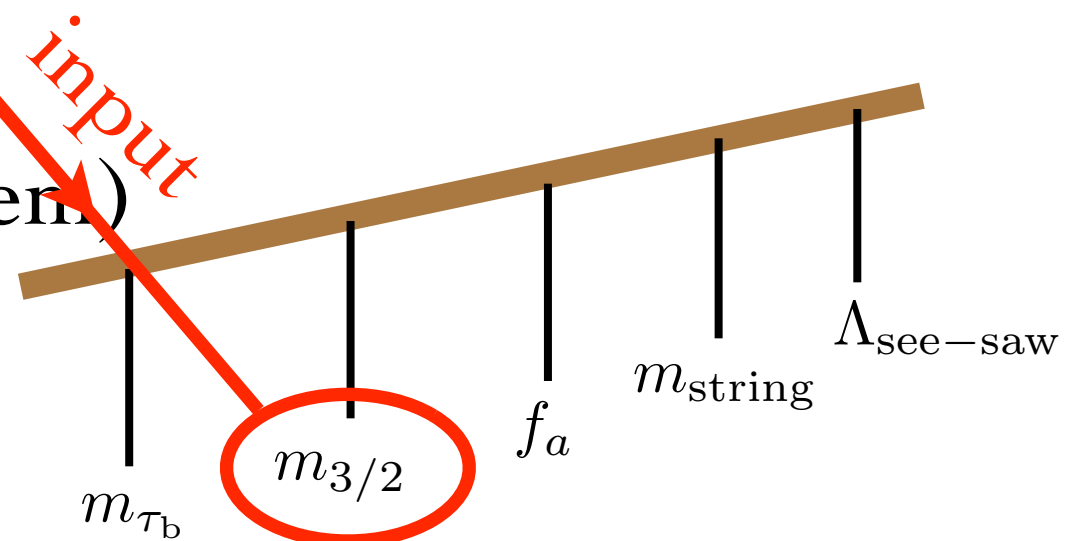
1. Why is big good?

- α' (inverse volume) expansion under control
- “two-step” integrating out becomes algorithmic
- matter fields: $K(\phi, \bar{\phi}) \sim \mathcal{V}^p k(\phi, \bar{\phi})$
- soft supersymmetry breaking terms: simplifications

2. Why $\mathcal{V} \sim 10^{15} \ell_s^6$?

- TeV scale supersymmetry
- QCD axion (strong CP problem)
- neutrino masses

the scales are “yoked”



Sample soft terms: gaugino masses

Conlon, Abdussalam, Quevedo, Suruliz '06

Assume MSSM

$$M_a = \frac{1}{2 \operatorname{Re} f_a} \sum_I F^I \partial_I f_a$$

$$\begin{aligned} F^{\tau_s} &= e^{K/2} (G^{\bar{s}s} \partial_{\bar{s}} \bar{W} + (G^{\bar{s}s} K_{\bar{s}} + G^{\bar{b}s} K_{\bar{b}}) \bar{W}) \\ &= 2\tau_s e^{K/2} \bar{W}_0 \left(\left(1 - \frac{3}{4a\tau_s} \right) - 1 + \dots \right) \end{aligned}$$

$$|M_s| \sim \frac{m_{3/2}}{\ln(M_{\text{P}}/m_{3/2})} \left(1 + \frac{(\dots)}{\ln(M_{\text{P}}/m_{3/2})} + \dots \right)$$

Gaugino masses suppressed by factor of 30 compared to gravitino mass

“Mirror mediation”

Conlon '07

(cf. heterotic model-building) \dots Kaplunovsky, Louis '93 \dots

Flavor structure from only one kind of modulus (here U)

soft scalar masses

$$m_{\alpha\beta}^2 = m^2 \delta_{\alpha\beta} + \frac{f_{\alpha\beta}(U)}{M} + \mathcal{O}\left(\frac{1}{M^2}\right)$$

- New nonrenormalizable couplings at each mass threshold M
- Hard to calculate $f_{\alpha\beta}(U)$ in concrete models

Gaugino masses suppressed by factor of 30 compared to gravitino mass

Consistency conditions

M.B., Haack, Pajer '07,
+ work in progress

$$\Delta K_{\alpha'} : \Delta K_{g_s} \quad \sim \quad \alpha'^3 : g_s^2 \alpha'^2$$

dimensional analysis:

$$\Delta K_{\alpha'} \quad \sim \quad g_s^{-3/2} \mathcal{V}^{-1}$$

$$\Delta K_{g_s} \quad \sim \quad g_s \mathcal{V}^{-2/3}$$

cancellation (to be shown):

$$\Delta V_{\alpha'} \quad \sim \quad g_s^{-1/2} \mathcal{V}^{-3}$$

$$\Delta V_{g_s} \quad \sim \quad g_s \mathcal{V}^{-3}$$

should consider D-brane corrections in LVS!

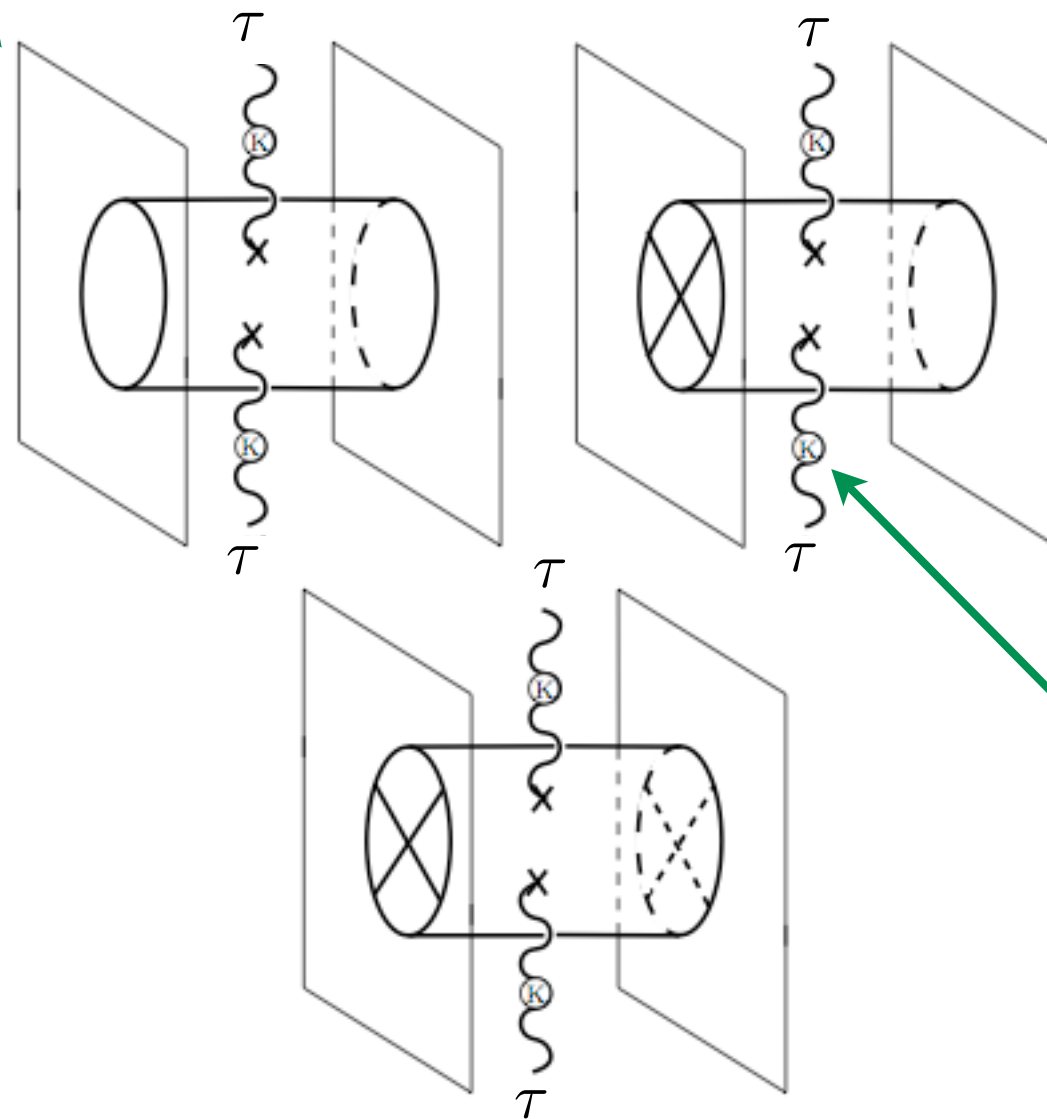
D-Brane Corrections to Kähler potential

M.B., Haack, Körs, '05

$$\tau = \text{Re } T$$

brane at arbitrary position ϕ

$$\langle \tau \tau \rangle =$$

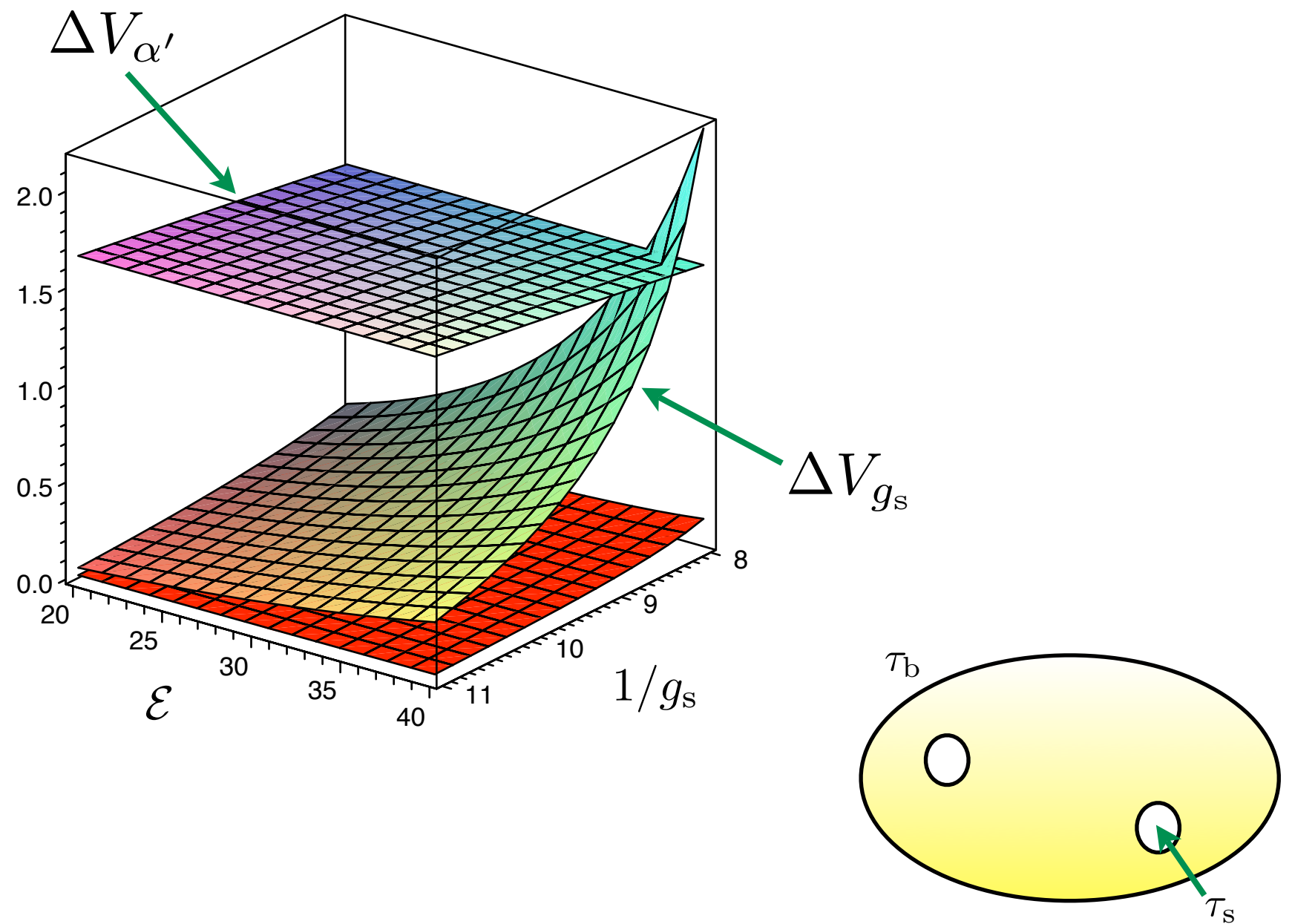


“Kähler adapted
vertex operators”

D-Brane Corrections to Kähler potential

M.B., Haack, Körs, '05

use toroidal result
for scaling
estimates:



for “Swiss cheese” Calabi-Yaus, loop corrections negligible
...can we trust these estimates?

D-brane corrections in flux compactifications?

M.B., Haack, Körs '04
Giddings, Maharana '05

Baumann, Dymarsky, Klebanov, Maldacena, McAllister, Murugan '06

gauge coupling corrections \sim eigenfunction of Laplacian
– claim that this is **open/closed duality**

- generalize to warped deformed conifold (!)
with general holomorphic D7-brane embedding
specified by integers p_i

$$A = A_0 \left(\frac{\mu^P - \prod_{i=1}^4 w_i^{p_i}}{\mu^P} \right)^{1/N_{D7}} \quad P = \sum_{i=1}^4 p_i$$

D-brane corrections in flux compactifications?

M.B., Haack, Körs '04

Giddings, Maharana '05

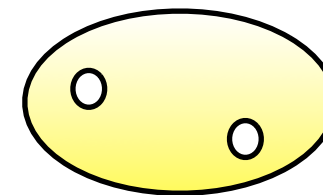
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gauge coupling corrections \sim eigenfunction of Laplacian
– claim that this is **open/closed duality**

- generalize to warped deformed conifold (!)
with general holomorphic D7-brane embedding
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much work left to do!

Summary



- Variants of KKLT can be surprisingly controllable
- Checks must be performed – whole classes can disappear
- Existing results, if correct, are potentially interesting for LHC counting signatures and SUSY dark matter
- With more details, would be more interesting...
- Development about loop corrections in very general backgrounds interesting in its own right

Outlook

..., Dine, Seiberg, Thomas '07
Randall '07

- What about nonrenormalizable operators? “BMSSM”?
- What about LVS for other Calabi-Yaus?
- Check “Green’s function method” in simpler (!) cases
- Cosmology very interesting but even trickier
 - brane inflation (time-dependence?)
 - dark energy? (need uplift details...)